## Data Types, Vector, Matrices and Operators

## Course Objectives

$>$ Gain a foundational understanding of Business Analytics
> Install R, R-studio, and workspace setup, and learn about the various $R$ packages
> Master R programming and understand how various statements are executed in $\mathbf{R}$
> Gain an in-depth understanding of data structure used in $R$ and learn to import export data in $\mathbf{R}$
> Define, understand and use the various apply functions and DPLYR functions
>Shiny Apps and Dashboard
> Text Mining and Open NLP Introduction

## R Data Types

02 Lists

## 03 <br> Matrices

DataFrame

Factors

One of the key features of $R$ is that it can handle complex statistical operations in an easy and optimised way.

R handles complex computations using:
$\square$ Vector - A basic data structure of $R$ containing the same type of data
$\square$ Matrices - A matrix is a rectangular array of numbers or other mathematical objects. We can do operations such as addition and multiplication on Matrix in R.
$\square$ Lists - Lists store collections of objects when vectors are of same type and length in a matrix.
$\square$ Data Frames - Generated by combining together multiple vectors such that each vector becomes a separate column.

## Vectors in $\mathbf{R}$

In $\mathbf{R}$ programming, the very basic data types are the $\mathbf{R}$-objects called vectors which hold elements of different classes.
c is function which means to combine the elements into a vector.

```
# Create a vector
apple <- c('red','green',"yellow")
print(apple)
# Get the class of the vector.
print(class(apple))
```


## Vectors in R

$\square$ These data types in $\mathbf{R}$ can be logical, integer, double, character complex or raw
$\square$ In $R$ using the function, typeof() one can check the data type of vector
$\square$ One more significant property of $R$ vector is its length. The function length() determines the number of elements in the vector

```
>c(2, 3, 5)[1] 2 3 5
[1]235
>length(c("aa", "bb", "cc", "dd", "ee"))
[1] 5
```


## Vectors in $\mathbf{R}$

| Data Type | Example | Verify |
| :---: | :---: | :---: |
| Logical | TRUE, FALSE | $\begin{aligned} & \mathrm{v}<-\mathrm{TRUE} \\ & \text { print(class(v)) } \end{aligned}$ |
|  |  | it produces the following result - |
|  |  | [1] "logical" |
| Numeric | 12.3, 5, 999 | $\begin{aligned} & \mathrm{v}<-23.5 \\ & \text { print(class(v)) } \end{aligned}$ |
|  |  | it produces the following result - |
|  |  | [1] "numeric" |

## Vectors in $\mathbf{R}$

| Data Type | Example | Verify |
| :---: | :---: | :---: |
| Integer | 2L, 34L, 0L | $\begin{aligned} & \mathrm{v}<-2 \mathrm{~L} \\ & \text { print (class }(\mathrm{v})) \end{aligned}$ |
|  |  | it produces the following result - |
|  |  | [1] "integer" |
| Complex | $3+2 i$ | $\begin{aligned} & v<-2+5 i \\ & \text { print(class (v))) } \end{aligned}$ |
|  |  | it produces the following result - |
|  |  | [1] "complex" |

## Vectors in $\mathbf{R}$

| Data Type | Example | Verify |
| :---: | :---: | :---: |
| Character | 'a', "'good", "TRUE",'23.4' | $\begin{aligned} & v<- \text { "TRUB" } \\ & \text { print(class(v)) } \end{aligned}$ |
|  |  | it produces the following result - |
|  |  | [1] "character" |
| Raw | "Hello" is stored as 4865 $6 c 6 c 6 f$ | ```v <- charToRaw("Hello") print(class(v))``` |
|  |  | it produces the following result - |
|  |  | [1] "raw" |

## List in $\mathbf{R}$

A list is an R-object which can contain many different types of elements inside it like vectors, functions and even another list inside it.
\# Create a list.
list1 <- list(c(2,5,3),21.3,sin)
\# Print the list.
print(list1)
\# Create a list.
list1 <- list(c(2,5,3),21.3,sin )
\# Print the list.
print(list1)

When we execute the above code, it produces the following result -
[[1]]
[1] 253
[[2]]
[1] 21.3
[[3]]
function (x).Primitive("sin")

## Matrices in R

A matrix is a two-dimensional rectangular data set. It can be created using a vector input to the matrix function.
\# Create a matrix
M = matrix( c('a','a','b','c','b','a'), nrow = 2, ncol = 3, byrow = TRUE) print(M)

When we execute the above code, it produces the following result -
[,1] [,2] [,3]
[1,] "a" "a" "b"
[2,] "c" "b" "a"

## Arrays in $\mathbf{R}$

$\square$ While matrices are confined to two dimensions, arrays can be of any number of dimensions.
$\square$ Thearray function takes a dim attribute which creates the required number of dimension.
$\square$ In the below example we create an array with two elements which are 3x3 matrices each.

```
# Create an array.
a <- array(c('green','yellow'),dim = c(3,3,2))
print(a)
```


## Arrays in $\mathbf{R}$

```
# Create an array.
a <- array(c('green','yellow'),dim = c(3,3,2))
print(a)
```

When we execute the above code, it produces the following result -

```
, , 1
[,1] [,2] [,3]
[1,] "green" "yellow" "green"
[2,] "yellow" "green" "yellow"
[3,] "green" "yellow" "green"
, , 2
[,1] [,2] [,3]
[1,] "yellow" "green" "yellow"
[2,] "green" "yellow" "green"
[3,] "yellow" "green" "yellow"
```


## Factors in $\mathbf{R}$

$\square$ Factors are the r-objects which are created using a vector.
$\square$ It stores the vector along with the distinct values of the elements in the vector as labels.
$\square$ The labels are always character irrespective of whether it is numeric or character or Boolean etc. in the input vector.
$\square$ They are useful in statistical modeling.
$\square$ Factors are created using the factor function.
$\square$ The $\mathbf{n}$ levels functions gives the count of levels.

## Factors in $\mathbf{R}$

```
# Create a vector
apple_colors <-
c('green','green','yellow','red','red','red','
green')
# Create a factor object.
factor_apple <- factor(apple_colors)
# Print the factor.
print(factor_apple)
print(nlevels(factor_apple))
```

0/p
[1] green green yellow red red red green
Levels: green red yellow
\# applying the n levels function we can know the number
of distinct values
[1] 3

## Data Frames in R

Data frames are tabular data objects.
$\square$ Unlike a matrix in data frame each column can contain different modes of data.
$\square$ The first column can benumeric while the second column can be character and third column can be logical.
$\square$ It is a list of vectors of equal length.
$\square$ Data Frames are created using the data.frame function.

## Data Frames in R

```
# Create the data frame.
BMI <- data.frame(
gender = c("Male", "Male","Female"),
height = c(152, 171.5, 165),
weight = c(81,93, 78),
Age = c(42,38,26)
)
print(BMI)
```

When we execute the above code, it produces the following result -

| $\quad$ gender | height | weight | Age |  |
| :--- | :--- | :---: | :---: | :---: |
| 1 Male | 152.0 | 81 | 42 |  |
| 2 Male | 171.5 | 93 | 38 |  |
| 3 | Female | 165.0 | 78 | 26 |

## Operators in $\mathbf{R}$



## Arithmetic Operators

These operators are used to carry out mathematical operations like addition and multiplication. Here is a list of arithmetic operators available in $\mathbf{R}$.

| Operator | Description |
| :--- | :--- |
| + | addition |
| - | subtraction |
| * | multiplication |
| / | division |
| ^ or ** | exponentiation |
| $\mathbf{x} \% \% \mathbf{y}$ | modulus ( $\mathbf{x}$ mod $\mathbf{y}) 5 \% \% 2$ is 1 |
| $\mathbf{x} \% / \% \mathbf{y}$ | integer division $5 \% / \% 2$ is 2 |

## Examples

$>x<-5$
$>y<-16$
$>x+y$
$>$ [1] 21
$>x-y$
$>$ [1]-11
$>x^{*} y$
$>$ [1] 80
$>y / x$
$>$ [1] 3.2
$>y \% / \% x$
$>$ [1] 3
$>y \% \% x$
$>$ [1] 1
$>y^{\wedge} x$
>[1] 1048576

## Relational Operators

Relational operators are used to compare between values. Here is a list of relational operators available in $\mathbf{R}$.

| Operator | Description |
| :--- | :--- |
| $<$ | Gess than |
| $>$ | Less than or equal to |
| $<=$ | Greater than or equal to |
| $>=$ | Equal to |
| $!=$ | Not equal to |

## Examples

$>x<-5$
$>y<-16$
$>x<y$
$>$ [1] TRUE
$>x>y$
$>$ [1] FALSE
$>x<=5$
$>$ [1] TRUE
$>y>=20$
$>$ [1] FALSE
>y = = 16
$>$ [1] TRUE
$>x!=5$
$>$ [1] FALSE

## Operation on Vectors

We can use the function $c()$ (as in concatenate) to make vectors in $\mathbf{R}$. All operations are carried out in element-wise fashion. Here is an example.

```
>x<-c(2,8,3)
>y<-c(6,4,1)
>x+y
>[1] 8 12 4
>x>y
>[1] FALSE TRUE TRUE
```

When there is a mismatch in length (number of elements) of operand vectors, the elements in shorter one is recycled in a cyclic manner to match the length of the longer one.
$R$ will issue a warning if the length of the longer vector is not an integral multiple of the shorter vector.

```
>x <- c(2,1,8,3)
>y<-c(9,4)
>x+y # Element of y is recycled to 9,4,9,4
>[1] 11 5 17 17
>x-1 # Scalar 1 is recycled to 1,1,1,1
>[1] 1 0 7 2
>x+c(1,2,3)
```



Warning message:
In $x+c(1,2,3)$ :
longer object length is not a multiple of shorter object length

## Logical Operators

Logical operators are used to carry out Boolean operations like AND, OR etc.

| Operator | Description |
| :--- | :--- |
| $!$ | Logical NOT |
| $\&$ | Element-wise logical AND |
| \&\& | Logical AND |
| I | Lement-wise logical OR |
| $\\|$ |  |

$\square$ Operators \& and | perform element-wise operation producing result having length of the longer operand.

But \&\& and || examines only the first element of the operands resulting into a single length logical vector.
$\square$ Zero is considered FALSE and non-zero numbers are taken as TRUE.

```
>x <- c(TRUE,FALSE,0,6)
>y <- c(FALSE,TRUE,FALSE,TRUE)
>!x
>[1] FALSE TRUE TRUE FALSE
>x&y
[1] FALSE FALSE FALSE TRUE
>x&&y
[1] FALSE
>x|y
[1] TRUE TRUE FALSE TRUE
>x||
[1] TRUE
```


## Assignment Operators

$\square$ These operators are used to assign values to variables.
$\square$ The operators <- and = can be used, almost interchangeably, to assign to variable in the same environment.
$\square$ The << operator is used for assigning to variables in the parent environments (more like global assignments). The rightward assignments, although available are rarely used.

| Operator | Description |
| :--- | :--- |
| $<-, \ll-,=$ | Leftwards assignment |
| $->,-\gg$ | Rightwards assignment |

## Examples

$>x<-5$
$>\mathrm{X}$
[1] 5
$>x=9$
$>\mathbf{x}$
[1] 9
> 10 -> $x$
>x [1]
10

## Examples

```
>Console
# An example
>x <- c(1:10)
>x[(x>8)|(x<5)]
# yields 1 2 3 4910
# How it works
>x<-
>xc(1:10)
12345678910
>x > 8
FFFFFFFFTT
```


## Examples

$>x<5$<br>TTTTFFFFFF<br>>x > 8 | $\mathrm{x}<5$<br>TTTTFFFFTT<br>>x[c(T,T,T,T,F,F,F,F,T,T)]<br>1234910

